

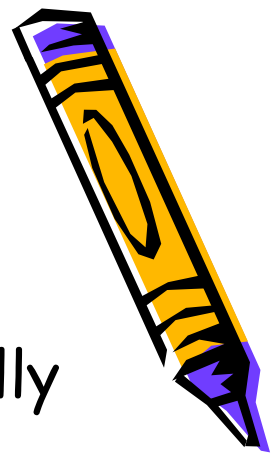


Geometry

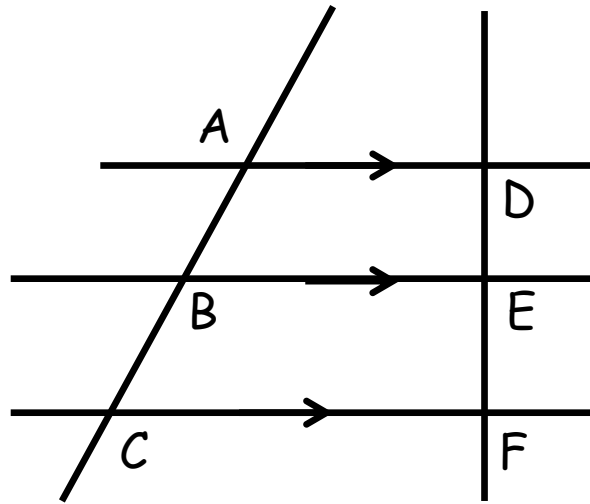
Parallel Lines and
Proportional Parts



Concepts



- Parallel lines cut their transversals proportionally



The segments between the parallel lines correspond to each other.

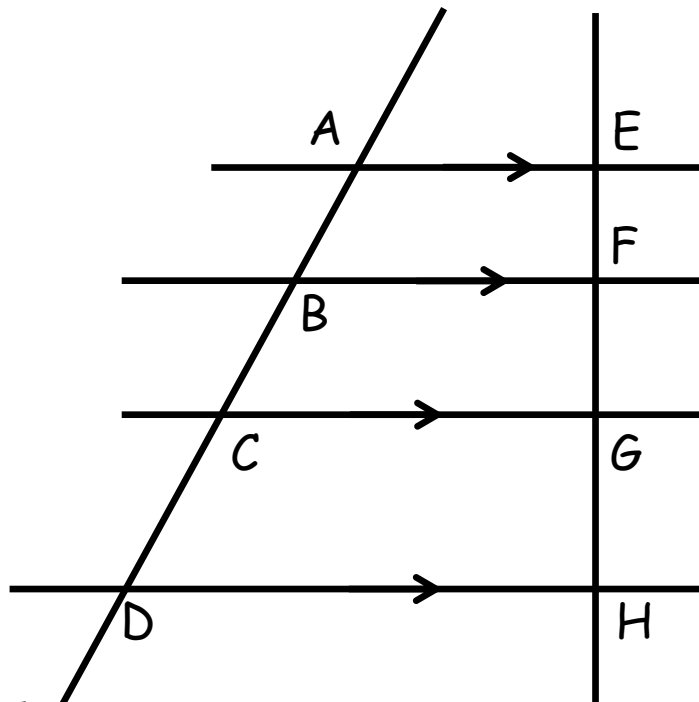
$$\frac{AB}{BC} = \frac{DE}{EF}$$



Concepts



- Parallel lines cut their transversals proportionally



The segments between the parallel lines correspond to each other.

$$\frac{AB}{BC} = \frac{EF}{FG}$$

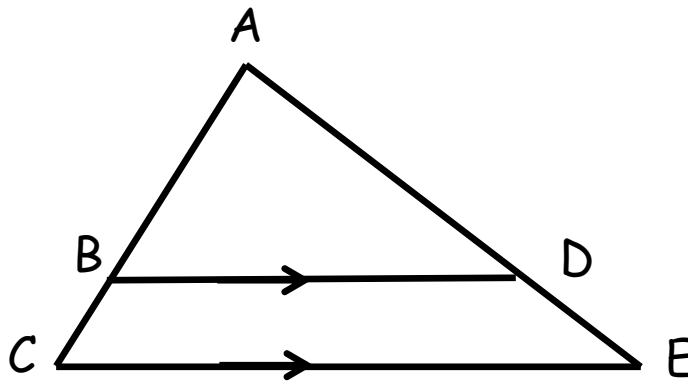
$$\frac{AB}{CD} = \frac{EF}{GH}$$

$$\frac{BC}{CD} = \frac{FG}{GH}$$

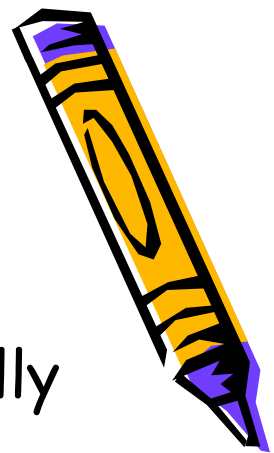


Concepts

- Parallel lines cut their transversals proportionally
Another Example

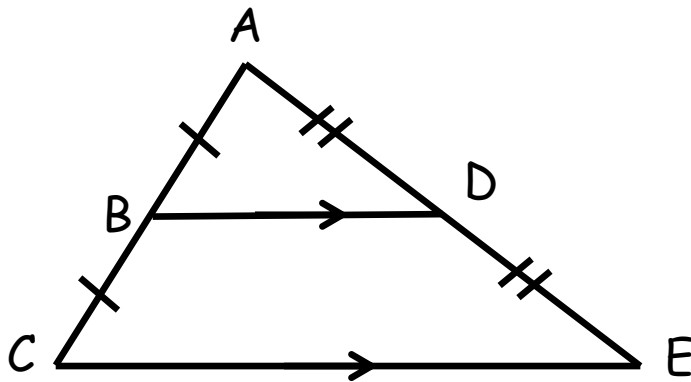


$$\frac{AB}{BC} = \frac{AD}{DE}$$



Concepts

- If a segment connects the midpoints of two sides of a triangle (midsegment), then it is parallel to the third side and equals one half the measurement of the third side



Since B and D are the midpoints of their sides, we know that:

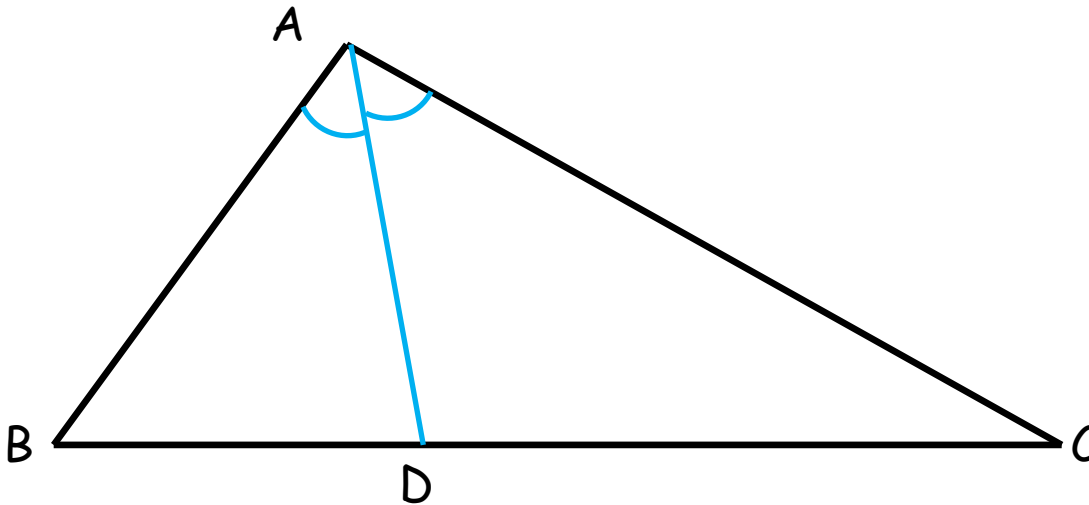
$$\overline{BD} \parallel \overline{CE} \text{ and}$$

$$BD = \frac{1}{2} CE$$

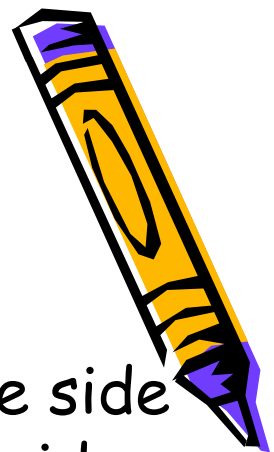


Concepts

In a triangle, an angle bisector cuts the opposite side into segments that are proportional to the two sides of the original triangle.



$$\frac{AB}{BD} = \frac{AC}{DC}$$



Concepts

